Stress dynamics of femtosecond laser-induced bulk machining inside single crystals

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Femtosecond laser processing inside transparent materials



Modification inside Transparent Materials with a fs laser



Two important fractures inside crystals



Ex: Inside rock-salt crystals







Object of this study

Why is the deformation direction always same in single crystals?
 ✓ Crystals have the cleavage planes and slip planes. (According to Crystallography)
 But, the stress which induces the deformation has not been elucidated.

•Why are the deformations different in crystals of the same crystal system?



They belong to the same crystal system, but the deformations are different...

- $\mathbf{\nabla}$
- 1. Observation of the dynamics of the deformation.
- 2. Observation of the transient stress.
- 3. Elucidation of the relation between the transient stress distribution and the directional modification inside single crystals.

Observation of dynamics in laser induced damage



Dynamics after the photoexcitation inside a glass



The generation and propagation of a pressure wave (stress wave).

Fast heating and thermal expansion occurred in the photoexcited region. (much faster than the elastic relaxation.)

Dynamics after photoexcitation



Dynamics inside crystals

[100] Sakakura et al., Opt. Express, (2011) 19, 17780. inside MgO(001) (10 μJ/pulse) [010] -10 ps 0 ps 1 ps 20 ps 100 ps 200 ps 20 µm 400 ps 600 ps 800 ps 1000 ps 2000 ps 3000 ps \odot

✓A rounded-square-shaped stress wave

Sound Velocities { <100> : 9.11km/s (Theory) { <110> : 9.92km/s



✓ A rounded-square-shaped stress wave.
✓ Cleavages propagate in <100>.

Sound Velocities (Theory) <100> : 6.48 km/s
<110> : 7.08 km/s

The characteristic shape of the stress wave is due to the anisotropic elastic property of the crystal.

Difference between glass and crystal

Glass



Crystal



✓ The shape of the stress wave depends on material.

Inside a glass

Both amplitude and direction of the stress are isotropic.

Inside a crystal

Both amplitude and direction of the stress depend on the direction from the photoexcited region.

The transient stress distributions may induce the structural changes in the specific directions inside crystals.

The stress must be visualized.

Visualization of stress

Normal transmission imaging is not sensitive to stress inside materials.



Transient birefringence imaging system



Analysis of birefringence



Analysis to obtain the birefringence distribution

Transmitted light images as a function of χ (Angle of the QWP).



Fitted by $I(\chi, \delta_s, \theta_s)$

(Fitting parameters: δ_s , θ_s)



Analysis to obtain the birefringence distribution

Transmitted light images obtained as a function of χ (Angle of the QWP).



Fitting in all the region

Sakakura et al., SPIE Laser Damage (2012)





Relation between Color and Azimuth





Another slow stress wave was observed inside a main stress wave.
Primary stress wave → Longitudinal Secondary stress wave → Transverse

Birefringence to Strain

Relationship between dielectric constant change and strain

$$\begin{bmatrix} (\Delta \varepsilon^{-1})_{xx} \\ (\Delta \varepsilon^{-1})_{yy} \\ (\Delta \varepsilon^{-1})_{zz} \\ (\Delta \varepsilon^{-1})_{yz} \\ (\Delta \varepsilon^{-1})_{zx} \\ (\Delta \varepsilon^{-1})_{zx} \\ (\Delta \varepsilon^{-1})_{xy} \end{bmatrix} = \begin{pmatrix} p_{11} & p_{12} & p_{12} \\ p_{12} & p_{11} & p_{12} & 0 \\ p_{12} & p_{12} & p_{11} \\ p_{12} & p_{14} & p_{12} \\ p_{12} & p_{12} & p_{11} \\ p_{12} & p_{14} & p_{12} \\ p_{12} & p_{12} & p_{11} \\ p_{12} & p_{14} & p_{12} \\ p_{12} & p_{12} & p_{11} \\ p_{12} & p_{14} & p_{12} \\ p_{12} & p_{12} & p_{12} \\ p_{12} & p_{12} & p_{11} \\ p_{12} & p_{14} & p_{12} \\ p_{12} & p_{12} & p_{12} \\ p_{12} & p_{12} & p_{11} \\ p_{12} & p_{12} & p_{11} \\ p_{12} & p_{14} & p_{12} \\ p_{12} & p_{12} & p_{11} \\ p_{12} & p_{12} & p_{11} \\ p_{12} & p_{14} & p_{12} \\ p_{12} & p_{12} & p_{12} \\ p_{12} & p_{14} & p_{12} \\ p_{12} & p_{12} & p_{12} \\ p_{12} & p_{14} & p_{12} \\ p_{12} & p_{12} & p_{12} \\ p_{12} & p_{12} & p_{12} \\ p_{12} & p_{14} & p_{14} \\ p_{12} & p_{12} \\ p_{12} & p_{14} \\ p_{14} & p_{14} \\ p_{12} & p_{12} \\ p_{12} & p_{12} \\ p_{12} & p_{14} \\ p_{14} & p_{14} \\ p_{12} & p_{12} \\ p_{12} & p_{14} \\ p_{14} & p_{14} \\$$

of Cubic crystals

 S_{xx}

 $\varepsilon: \text{dielectric constant} \qquad \{S_{ij}\}: \text{strain} \\ \{p_{ij}\}: \text{Photoelastic constant (tensor)} \\ \left|S_{xx} - S_{yy}\right| = \frac{\lambda \delta_s}{\pi d n_0^3} \left|\frac{\cos 2\theta_s}{p_{11} - p_{12}}\right| \qquad \left|S_{xy}\right| = \frac{\lambda \delta_s}{\pi d n_0^3} \left|\frac{\sin 2\theta_s}{2p_{44}}\right|$

Unfortunately S_{xx} and S_{yy} cannot be determined independently.

	p ₁₁ -p ₁₂	p ₄₄
MgO	-0.25*	-0.10*
LiF	-0.13**	-0.045**

There are a lot of reports on p_{11} and p_{12} , but they depend on reports.

*A. A. Giardini and E. Poindexter, J. Opt. Soc. Am., <u>48 (</u>1958) 556. ** K. S. Iyengar, Nature, <u>176</u> (1955) 1119.

Transient strain distributions and stress

1000 ps 3000 ps MgO 10 µm @[110] 0.8 GPa 0.4 GPa @[100] 0.8 GPa 0.6 GPa @Sec. Wave 1.4 GPa 0.4 GPa (Rough estimation) LiF 10 µm @[110] 0.6 GPa 0.3 Gpa

0.9 GPa

1.5 GPa

0.4 Gpa

0.4 GPa

@[100]

@Sec. Wave

✓ Principal strain difference is largest along the <110> lines.
✓ Strain of dislocation in the <110> direction was not clear.

 ✓ Strain is larger than that of MgO.
 ✓ Strain of dislocation in the <110> direction was clearly observed.
 ✓ Strain in the secondary stress wave was in the cleavage propagation direction.
 ✓ Stress at the secondary stress wave was enough large to induce cleavage.

Lattice deformations based on the observation



Difference between structural changes in LiF and MgO

In a LiF crystal, cleavages are generated much more easily.



	Mohs hardness	Knoop hardness (kg/mm²)	Young's modulus (GPa)
MgO	5.5	692.0	249
LiF	4	102	64.97

Difference between stress distributions in LiF and MgO

The stress distribution in the secondary stress wave is different.



	Mohs hardness	Knoop hardness (kg/mm ²)	Young's modulus (GPa)
MgO	5.5	692.0	249
LiF	4	102	64.97

Not only hardness but stress distribution is related to the difference.

Difference in the strain distributions

Distribution of difference of principle strains



In the LiF, the tips of the cleavages are **pulled into the propagation directions**. Therefore, the cleavages are generated more easily in a LiF crystal.

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Difference of modifications and transient stress in each plane



Transient stress distributions can explain the anisotropic modifications.

Summary

- Transient stress distributions after the photoexcitation inside crystals by a focused fs laser pulse were observed by a pump-probe polarization microscope.
- The local compression and large spatial change of the stress direction around <110> line in the primary stress wave could generate the dislocation bands.
- The tensile stress along <100> line in the inner stress wave induced cleavages.
- Stress directions could be controlled by modifying transient stress distributions.



