

Qensh fitting routine.

Function name: *Fit3_sqw_aniso_diff_in_w_lor*

Summary: This function performs the fit of the experimental data to a sum of a stretched exponential and a Lorentzian line. This function is designed to fit “powder averaged” data for which a local anisotropy is suspected.

Details: data are fitted to the following $S(Q, \omega)$:

$$S(Q, \omega) = S_{core}(Q, \omega') \otimes R(\omega) + Background(\omega) + \alpha.S_{Buffer}(Q, \omega)$$

where

$$S_{core}(Q, \omega') = I_{El} \cdot \delta(\omega') + \left[\frac{I_1}{2\pi} \int_0^\pi \frac{\Gamma_{||} \cos^2(\theta) + \Gamma_{perp} \sin^2(\theta)}{(\Gamma_{||} \cos^2(\theta) + \Gamma_{perp} \sin^2(\theta))^2 + \omega'^2} d\theta + \frac{I_B}{2\pi} \frac{\Gamma_L}{\Gamma_L^2 + \omega'^2} \right] \cdot \exp\left(\frac{\omega'}{k_B T}\right)$$

and $\omega' = \omega - \omega_0$

and $Background(\omega) = \frac{bckd(\omega_{max}) - bckd(\omega_{min})}{\omega_{max} - \omega_{min}} \cdot (\omega - \omega_{max}) + bckd(\omega_{max})$

Param. #	symbol used in Eq. above	name	unit
0	ω_0	Elastic Peak Shift	meV
1		Resolution Shift	meV
2		Buffer Shift	meV
3	T	Sample Temperature	K
4	α	weighting factor for Buffer or substrate subtraction	
5	$bckd(\omega_{min})$	Background level at ω_{min}	A.U.
6	$bckd(\omega_{max})$	Background level at ω_{max}	A.U.
7	I_{el}	Elastic Peak Intensity	A.U.
8	I_1	Stretched Exponential Intensity	A.U.
9	$\Gamma_{ }$	HWHM due to the	meV

		“parallel” component of the dynamics	
10	Γ_{perp}	HWHM due to the “perpendicular” component of the dynamics	meV
11	I_B	Lorentzian Intensity	A.U.
12	Γ_L	Lorentzian HWHM	meV

Note: Only the parameters highlighted in yellow should be used.